

Here in is an extract of the material that compose a whole book. In case you are interested in the complete sets of books, contact;
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PRIMARY FOUR MATHEMATICS WORK BOOK TERM ONE.

THEME: SETS

TOPIC: Set Concepts

DEFINITION OF A SET

A set is a collection of well-defined elements or numbers.

EXAMPLE 1

$A = \{\text{even numbers less than } 9\}$

$B = \{\text{vowel letters}\}$

$X = \{a, e, i, o, u\}$

SET SYMBOLS

\cup - Union set

\cap - Intersection set/

\emptyset - Empty set or null set.

\nleftrightarrow - Non – equivalent sets

\in - Member of a given set

\subset - Subset

$\{\}$ -Empty set

\leftrightarrow Equivalent sets

$n(B)$ – Number of elements in set B.

ε - Universal set

EXAMPLE 2

EQUIVALENT SETS

They have the same number of members

Set $X = \{3, 6, 5\}$

Set $Y = \{\square, \triangle, \bigcirc\}$

\therefore Set x is equivalent to Set y or $x \leftrightarrow y$

NON – EQUIVALENT SETS

They have different number of members.

Set $T = \{3, 6, 8, 9, 5\}$ Set $V = \{9, 4, 7, 2\}$

\therefore Set T is non – equivalent to set V or $T \nleftrightarrow V$

EMPTY SET

A set without members.

Symbol for empty set or null set is \emptyset

EXAMPLE 1

a) $K = \{\text{Pupils in P.4 with blue legs}\}$

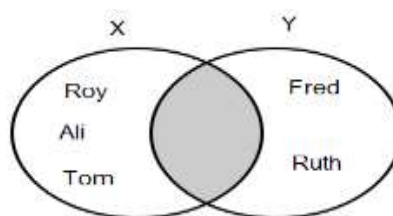
Set $K = \{\}$

b) $M = \{\text{Mothers who are five years old}\}$

Set $M = \emptyset$

DISJOINT SETS

These are sets without common members.



$X \cap Y = \emptyset$ OR

$X \cap Y = \{\}$

EXAMPLES 1

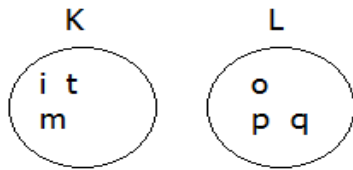
$F = \{\text{orange, egg, yam, mango}\}$

$G = \{\text{Cabbage, carrot, pawpaw}\}$

Sets F and G have no common members so they are **disjoint**.

ACTIVITY

- Describe the following sets.
 - $B = \{\text{Green pupils in your class}\}$
 - $K = \{\text{P.4 pupils who don't eat food}\}$
 - $E = \{\text{Teachers in your school}\}$
 - $A = \{\text{Elephants in the game park}\}$
 -



Sets K and L are

.....

- $D = \{a, b, c, d, e\}$ $E = \{4, 5, 6, 7\}$

Sets D and E are

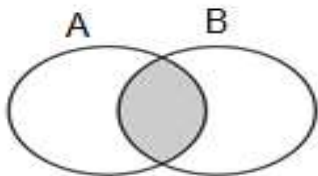
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- Form two empty sets

INTERSECTION OF SETS

These are sets with common members,

Symbol for intersection set is \cap



The shaded region represents $A \cap B$.

EXAMPLE 1

$$S = \{1, 2, 3, 4, 5, 6\}$$

$$T = \{2, 3, 4, 6, 8, 9\}$$

$$S \cap T = \{2, 3, 4, 6\}$$

EXAMPLE 2

$$P = \{a, e, i, o, u\} \quad Q = \{a, b, c, o, e, f\}$$

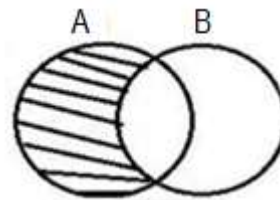
$$P \cap Q = \{a, o, e\}$$

MEMBERS OF SETS ONLY

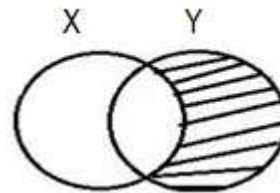
If two sets let's say X and Y have members with others intersecting, Members of X only is given as $X - Y$. Those of Y only is as $Y - X$ as shown in the

Venn diagram below

- $A - B$ (A only)



- $Y - X$ (Y only)



ACTIVITY

- Write the intersection sets.

- $A = \{a, b, c\}$ $B = \{b, d, e, f\}$

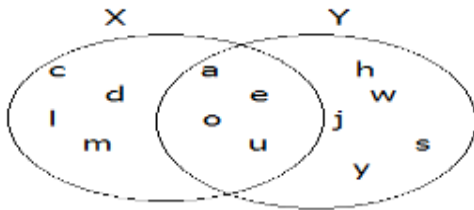
- $P = \{a, e, i, o, u, k, m\}$ $Q = \{a, b, c, o, e, f, m\}$

c) $S = \{1, 2, 3, 4\}$ $T = \{g, t, m\}$

d) $X = \{\text{letters in the word Friday}\}$
 $Y = \{\text{letters in the word Monday}\}$

e) $E = \{\text{odd numbers less than 13}\}$
 $F = \{\text{even numbers less than 12}\}$

2. Use the Venn diagram to answer the questions that follow:



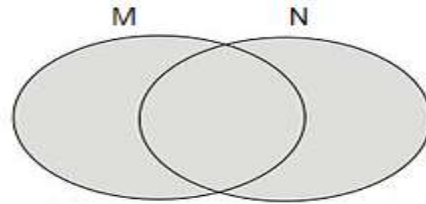
List down the elements of set X

- Find $n(Y)$
- Find $X \cap Y$
- Find $X - Y$
- Find $Y - X$
- Find $n(Y - X)$

UNION OF SETS

This is the collection of all members of the given sets without repeating any members

Symbol for union set " \cup "



The shaded region represents $M \cup N$.

EXAMPLE 1

$A = \{1, 2, 3, 4, 5, 6\}$ $B = \{0, 1, 9, 3, 7, 2, 4\}$

$A \cup B = \{1, 2, 3, 4, 5, 6, 0, 7\}$

EXAMPLE 2

$P = \{a, b, c\}$ $Q = \{b, d, e, f\}$

$P \cup Q = \{a, b, c, d, e, f\}$

ACTIVITY

1. Find the union set

a) $K = \{2, 4, 5, 0\}$ $J = \{1, 2, 3, 4, 6, 7\}$

b) $A = \{\text{oranges, mangoes, pawpaws, peas}\}$

$B = \{\text{peas, pineapples, mangoes}\}$

c) $S = \{\text{hut, cat, house, pig}\}$ $T = \{\text{cat, sheep, goat, pig}\}$

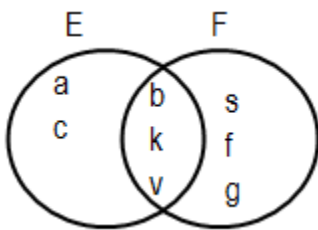
d) $K = \{2, 4, 6, 8\}$

$L = \{1, 2, 3, 4, 5, 6, 7, 9\}$

e) $X = \{a, e, l, o, u\}$ $Y = \{b, l, g, e, r\}$

f) $W = \{g, b, k, r\}$ $N = \{1, 5, 6\}$

2. Use the Venn diagram



a) List down the elements of set E

b) Find $n(F)$

c) Find $E \cap F$

d) Find $E \cup F$

NB: What you have finished is a **small part** of the material that compose a **whole book**. In case you are **interested** in the complete set of this book, contact; **0772 511 120/ 0705 283 741**