GREENHILL PRIMARY SCHOOL BUWAATE P.5 MATHEMATICS WORK

NAME: STREAL	[•

WEEK 2 DAY 1

COMBINED OPERATION OF NUMBERS

WORKING OUT USING "BODMAS"

- **B** Brackets
- **O** O
- **D** Division
- M- Multiplication
- A Addition
- S- Subtraction

EXAMPLES

Workout: 2 – 8 + 9
 B O D M <u>A</u>S – Addition first then

subtraction. So look for what is added, put in bracket and then subtract 9 is added while 8 is subtracted. Remaining with 2, add 9 then subtract 8

$$2-8+9$$

 $(2+9)-8$
 $11-8$

3. Workout: 5 X 12 ÷ 4

B O **D**M A S – Division first then multiplication. So look for what is divided and work it out.

Leaving the first number unchanged, put what is divided in brackets first then work it out

2. | Solve: 5 + (3X10)

 $\underline{\mathbf{B}}$ O D M $\underline{\mathbf{A}}$ S – Brackets first then addition. So look for what is in the bracket then work it out. Leaving the first number unchanged, work out what is given in brackets.

Workout $\frac{1}{2}$ of $10 + 15 \div 5$ B **O D** M **A** S – Of first, then Division and lastly Addition. First workout $\frac{1}{2}$ of 10, the divide 15 by 5

and lastly add the two results

$$(\frac{1}{2} \text{ of } 10) + 15 \div 5$$

 $(\frac{1}{2} \times 10) + (15 \div 5)$
 $5 + (15 \div 5)$
 $5 + 3$
 $= 8$

NOTE: These operations do not change positions \times , \div , of and (). You work out the numbers with those signs from the same place you find them.

4.

Its only + and - that can change positions.

	ACTIVITY					
1.	28 – (4 X 5)	2.	8 + 4 X 5			
3.	6 ÷ 6 + 2 - 3	4.	(9 X 9) + 3			
5.	8 ÷ (4 X 2)	6.	10 - 15 + 12			
7.	8 ÷ 4 X 2	8.	$\frac{3}{10}$ of 40 + $\frac{2}{5}$ 0f 25			

WEEK 2 <u>DAY 2</u>

: NAMES OF BASES

Base	Name of base	Digits used
Base Two	Binary	0, 1
Base Three	Ternary	0, 1, 2
Base Four	Quaternary	0, 1, 2, 3
Base Five Quinary 0, 1, 2, 3, 4		0, 1, 2, 3, 4
Base Six	Senary	0, 1, 2, 3, 4, 5
Base Seven	Septenary	0, 1, 2, 3, 4, 5, 6
Base Eight	Octal	0, 1, 2, 3, 4, 5, 6, 7
Base nine	Nonary	0, 1, 2, 3, 4, 5, 6, 7, 8
Base Ten	Decimal (denary)	0, 1, 2, 3, 4, 5, 6, 7, 8, 9

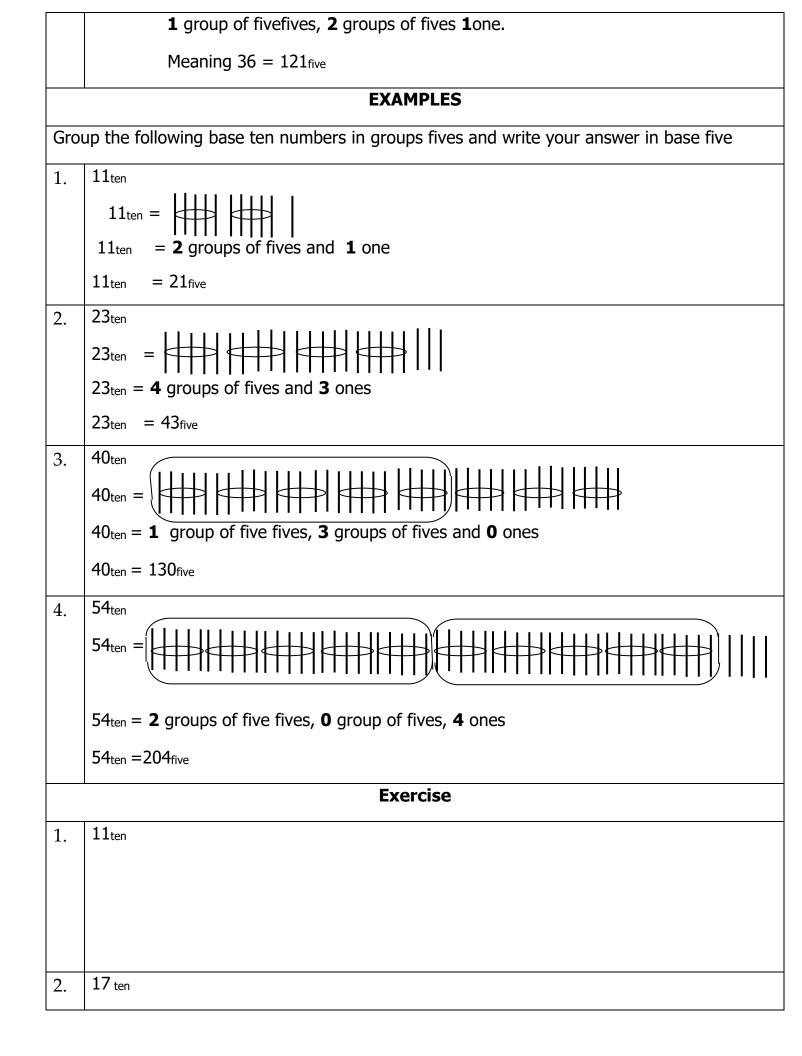
WRITING NON DECIMAL BASES IN WORDS.

NOTE:

- All numbers you have been writing since nursery are in base ten or decimal bases. Forty eight can be written as forty eight base ten (48ten) or simply 48. Meaning you put small ten below 48 or simply write 48.
- ➤ In other bases, a base must be written because they are not standard bases. For example 34_{five}, this is read as "three, four base five" and not thirty four base five because it is not a standard base

		EXA	MPLES	
1.	Write the following in words			
	a) 13 _{five} One, three, base five		e) 1003 _{five} One, zero, zero, three, base five	
	b) 42 _{six} Four, two, base six]	f) 42 _{seven} Four, two, base seven	
	c) 234 _{five} Two, three, four, base five d) 714 _{nine} Seven, one, four, base nine		g) 234 _{eight} Two, three, four, base eight	
			h) 1010 _{two} One, zero, one, zero, base two	
Wr	ite the following in words		One, Zero, one, Zero, base two	
1.	11five	2.	386nine	
3.	333 _{five}	4.	1023 _{four}	
5.	1001 _{two}	6.	123five	
7.	241 _{five}	8.	20103 _{six}	

WEEK 2 DAY 3 GROUPING IN BASE FIVE CONSIDER THESE STEPS In base 7_{ten} means 7 ones 1. 7 can be grouped in base five as shown below Step 1: count seven sticks or counters Step 2: make groups of fives and ones Step 3: count the groups of fives and ones. You will get 1 group of fives 2 ones Meaning $7_{ten} = 12_{five}$ Group the following sticks in fives and write down their number in base five. 2. a) 13 13 can be grouped in bases five as shown below Step 1: count 13 sticks or counters Step 2: make groups of fives and ones Step 3: count the groups of fives and ones. You will get 2 group of fives 3 ones Meaning $13 = 23_{five}$ b) 36 36 can be grouped in bases five as shown below **Step 1**: count 13 sticks or counters **Step 2**: make groups of fives and ones **Step 3:** count the groups of fives and ones. You will get **6** groups of fives **1**one. Since the numbers or digits expected in base five are 0,1,2,3and 4, we can write 61 base six, instead we shall regroup the 6 groups of fives to make five fives Step 4: make groups of fivefives, fives and ones Step 3: count the groups of fives and ones. You will get



3.	20 ten
4.	26 ten
5.	33 ten
6.	19 ten
7.	21 ten
8.	29 ten

DAY FOUR

PLACE VALUES AND VALUES OF NON DECIMAL BASES EXAMPLES;

1. Find the place value of each digit in 2. 2034_{five}

Five five fives		Fivefives		Fives		Ones	
2		0	0		}	4	
					→ F	→On Fives	ies
	Five fives						
Five five fives							

Find the place value of 4 in 243_{five}

Five fives	Fives	Ones				
2	4	3				
Fives						

3. Find the value of 2 in 201_{five}

	Five fives		Fives	Ones	
	2		4	3	
,	F		ive five	s =2x5x5	= 50

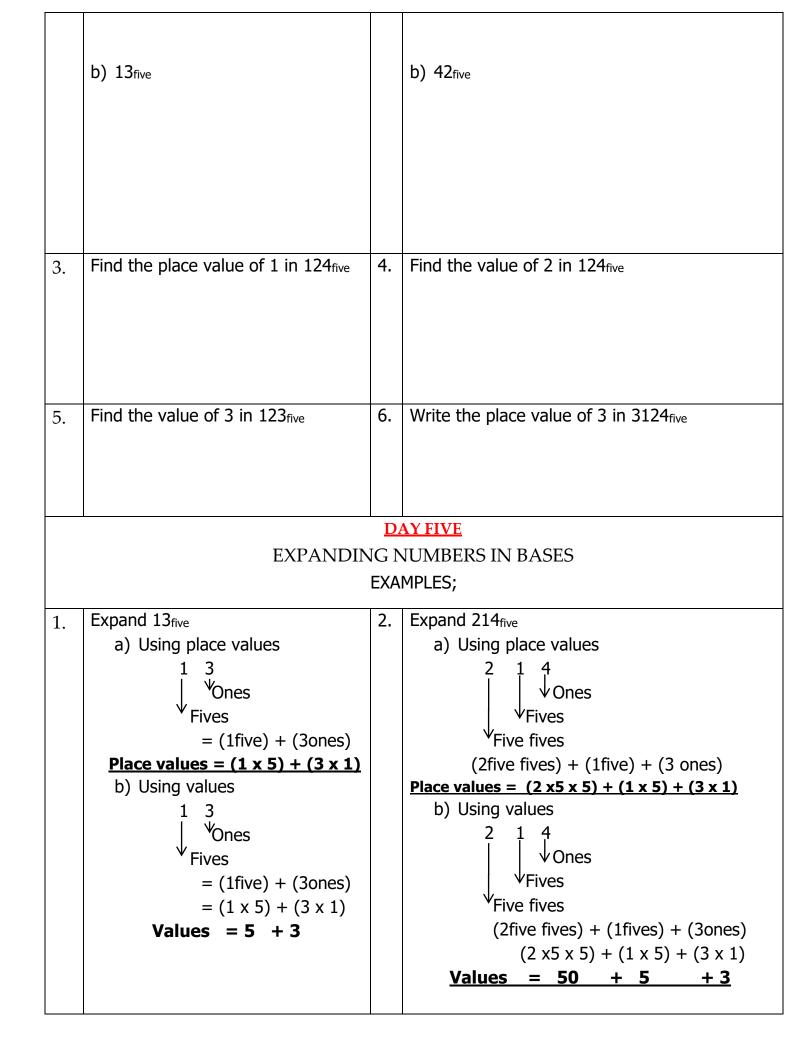
4. Find the value of 4 in 124_{five}

Five fives	Fives	Ones	
1	2	4	
			-)nes= 4x1=

Exercise

- 1. Write the place value of each digit in the numbers below.
 - a) 234_{five}

- 2. Write the place value of each digit in the numbers below.
 - a) 314_{five}



	Exercise						
Exp	Expand the following using place values.						
1.	11 _{five}	2.	23 _{five}				
3.	121 _{five}	4.	43 _{five}				
Exp	and the following using values						
5.	323 _{five}	6.	111 _{five}				
7.	232 _{five}	8.	34 _{five}				

CONVERTING NON DECIMAL BASES TO BASE TEN

STEPS FOR METHOD 1:

- Make groups of fives
- Count all the sticks in the whole groups and add them

STEPS FOR METHOD 2:

- ➤ Identify the place values
- Expand using the place values of each digit
- ➤ Find the value of each digit
- > Add the values, the number or result got is a base ten number or result

EXAMPLES

Change 14_{five} to base ten 1.

method 1:

 $14_{five} = 1$ group of fives , 4 ones

$$14_{five} = 9 ten$$

method 2:

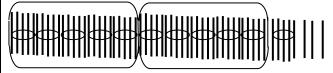
$$14_{five} = (1fives) + (4ones)$$

= $(1 \times 5) + (4 \times 1)$
= $5 + 4$
= 9_{ten} or 9

2. Change 213_{five} to base ten.

method 1:

 $213_{\text{five}} = 2$ groups of five fives, 1 group of fives and 3 ones



$$213_{\text{five}} = 25 + 25$$

$$213_{\text{five}} = 58_{\text{ten}} \text{ or } 58$$

method 2:

+ 5 + 3

213_{five} = (2five fives) + (1five) + (3 x ones)
=
$$(2 \times 5 \times 5) + (1 \times 5) + (3 \times 1)$$

= $(2 \times 25) + (1 \times 5) + (3 \times 1)$
= $50 + 5 + 3$
= 58 _{ten} or 58

Exercise

Change the following to base ten.

- 1. 13_{five}
 - 2. $22 {\rm five} \\$

 $112 _{\rm five}$ 3.

4. $310 \, \mathrm{five}$